

2/25/2019

The effect of temp upon rxn rate

rate \uparrow as $T \uparrow$ (for every $\approx 10^\circ\text{C}$ increase in temp,
rxn rate doubles)

rate law: $\text{rate} = K[A]^m$

  slight decrease as we increase T .
(why? $V \uparrow T \uparrow$)

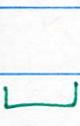
rate const:

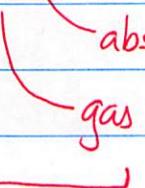
has a strong T -dependence!

$K \uparrow$ as $T \uparrow$

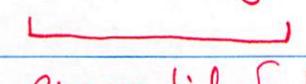
1889, Swedish Chemist: Svante Arrhenius

$$\text{Arrhenius Equation: } K = A \times e^{-\frac{E_a}{RT}}$$

 activation energy (J/mol, KJ/mol)

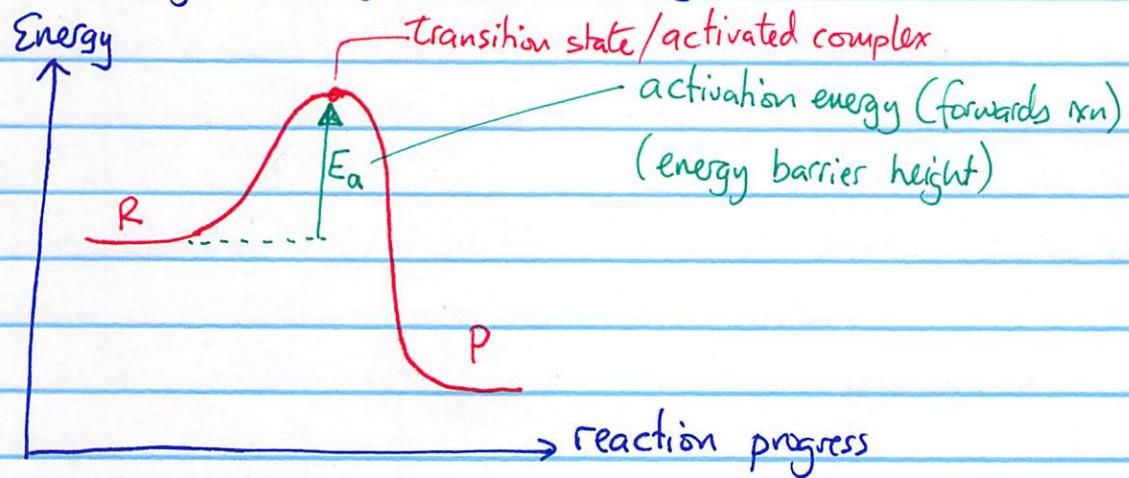
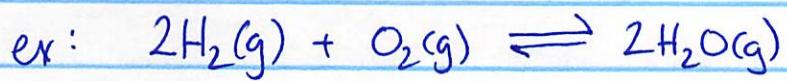
 absolute temp (K)

 pre-exponential factor

 exponential factor (strong T -dependence)

(OR) frequency factor

-related to # reactant collisions/s



$$K = A \cdot e^{-E_a/RT}$$

1. $A \sim$ pre-exponential factor / Frequency factor

$$A = p \cdot Z$$

collisions
frequency
(#collisions/s)

Orientation factor

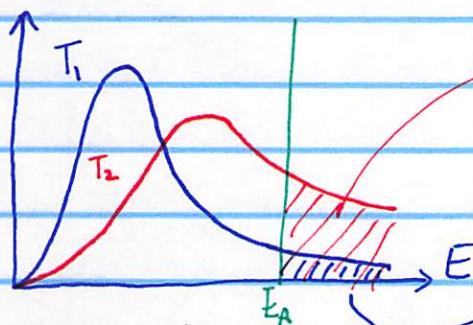
(prob. that molecules collide w/ proper orientation)

2. Exponential factor, $e^{-E_a/RT}$

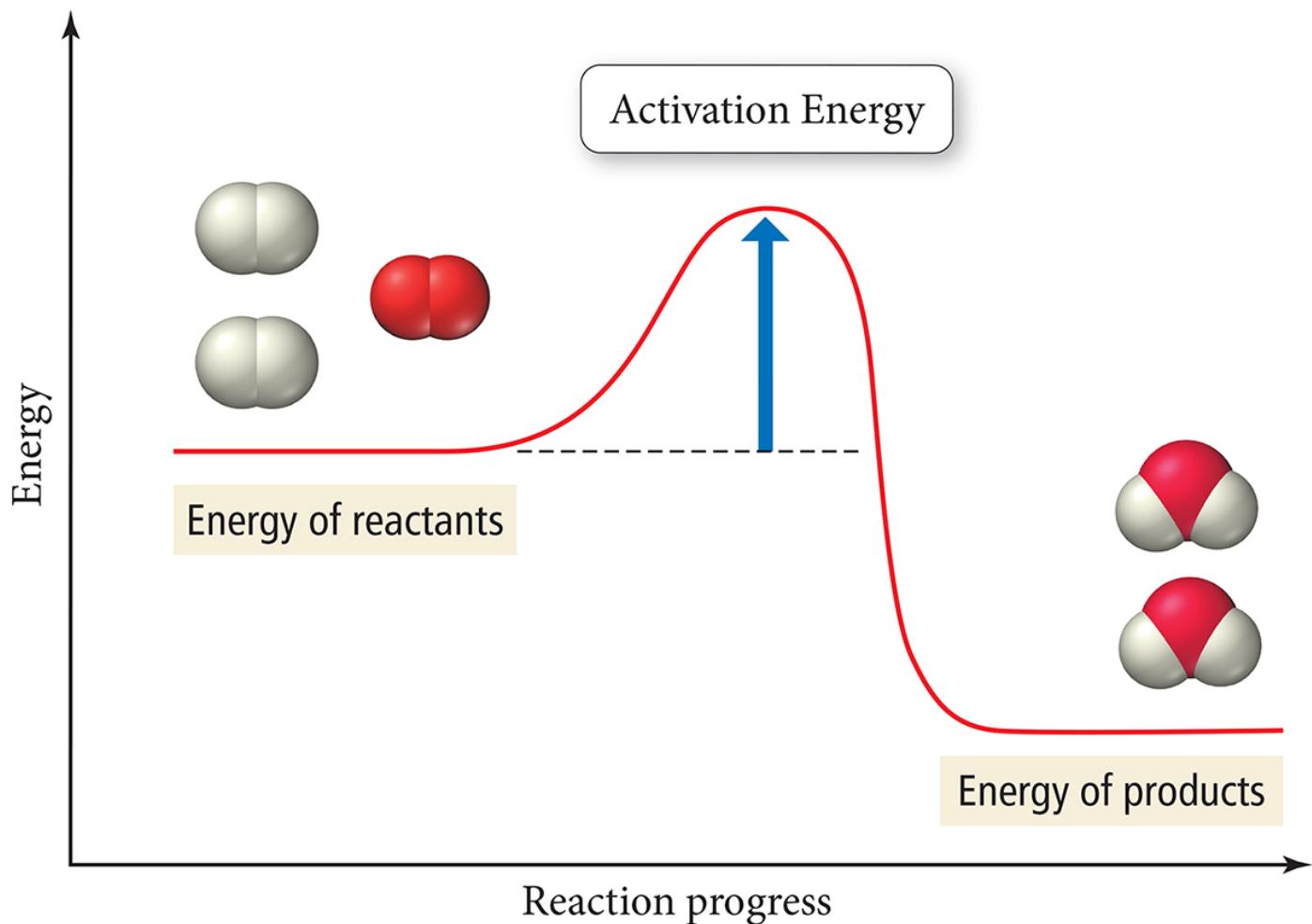
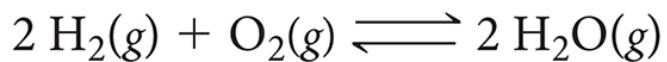
-represents prob. molecules collide w/ $E \geq E_a$

Graph: T_1, T_2
 $T_1 < T_2$
(cold) (hot)

#molecules

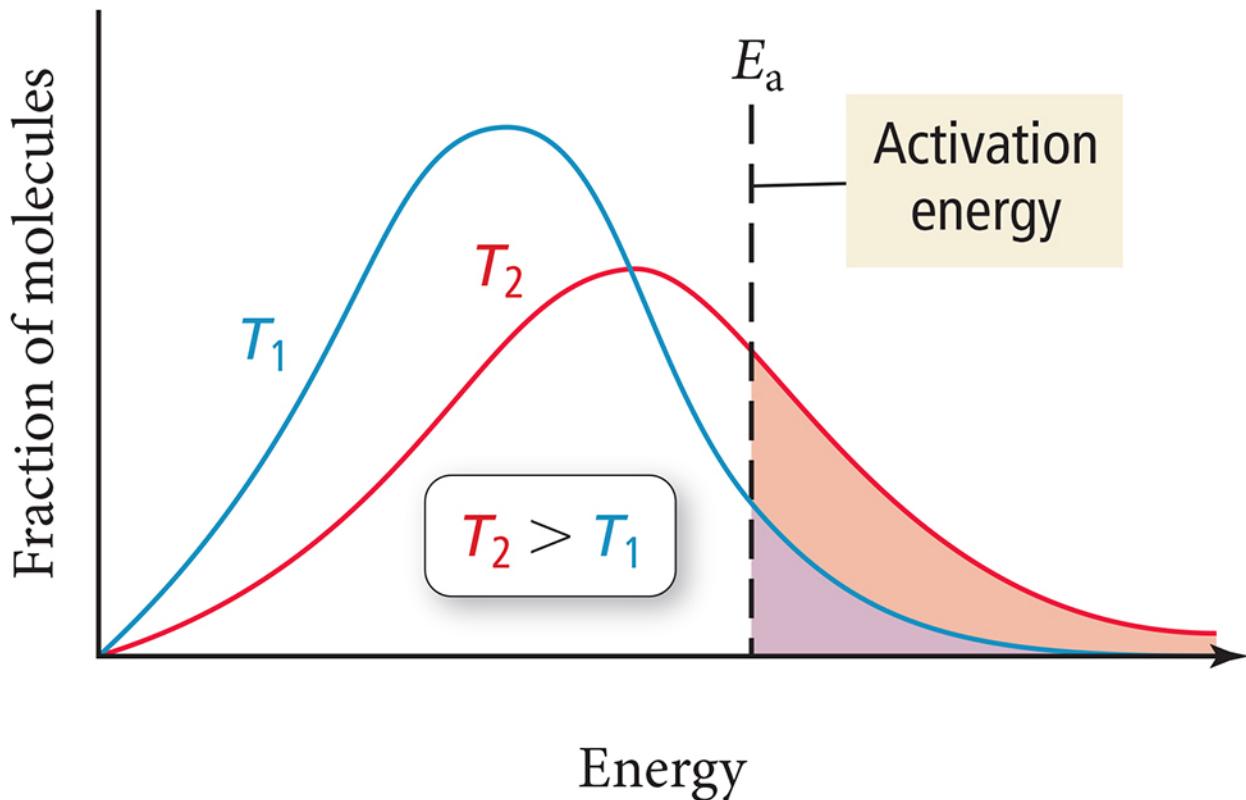


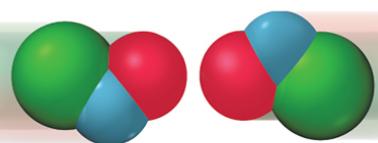
Activation Energy



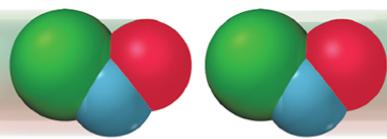
Thermal Energy Distribution

As temperature increases, the fraction of molecules with enough energy to surmount the activation energy barrier also increases.





Ineffective collision



Ineffective collision



Effective collision

$$e^{-E_a/RT} \quad \text{as } T \rightarrow \infty \quad // \quad \text{as } T \rightarrow 0$$

$$(\text{prob } E \geq E_a) : e^{-E_a/RT} \rightarrow 1 \quad e^{-E_a/RT} \rightarrow 0$$

$$\text{as } E_a \rightarrow \infty \quad // \quad \text{as } E_a \rightarrow 0$$

$$e^{-E_a/RT} \rightarrow 0 \quad e^{-E_a/RT} \rightarrow 1$$

Arrhenius plot

graphical methods of finding A , and E_a

$$\ln() \hookrightarrow K = A \cdot e^{-E_a/RT}$$

$$\ln K = \ln A - \frac{E_a}{RT}$$

$$\text{OR: } \ln k = -\frac{E_a}{R} \cdot \left(\frac{1}{T}\right) + \ln A$$

$$y = mx + b$$

↑ ↑ ↑
 y $m \cdot x + b$